

[Source](#) | [Model](#) | [Option](#)  
| [Model\\_Option](#) | [Help on fd methods](#) | [Archived Tests](#)

## fd\_natalinibriani\_heston

Input parameters:

- SpaceStepNumber  $N1$
- TimeStepNumber  $N2$

Output parameters:

- Price
- Delta

This model is given by,

$$\begin{aligned}dS_t &= rS_t dt + \sqrt{v_t} S_t dW_t^1, \\ dv_t &= k(\theta - v_t) dt + \sigma \sqrt{v_t} dW_t^2,\end{aligned}$$

where  $W^1$  and  $W^2$  are two correlated brownian motions with  $\langle W^1, W^2 \rangle_t = \rho t$ , and  $k$ ,  $\theta$  and  $\sigma$  are constants. The EDP associated with the option pricing problem is solved with a finite difference scheme. Details abouts this routine are in [there](#).