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La figure E.3 donne par tranche de 10 ans la fréquence des publications contenues

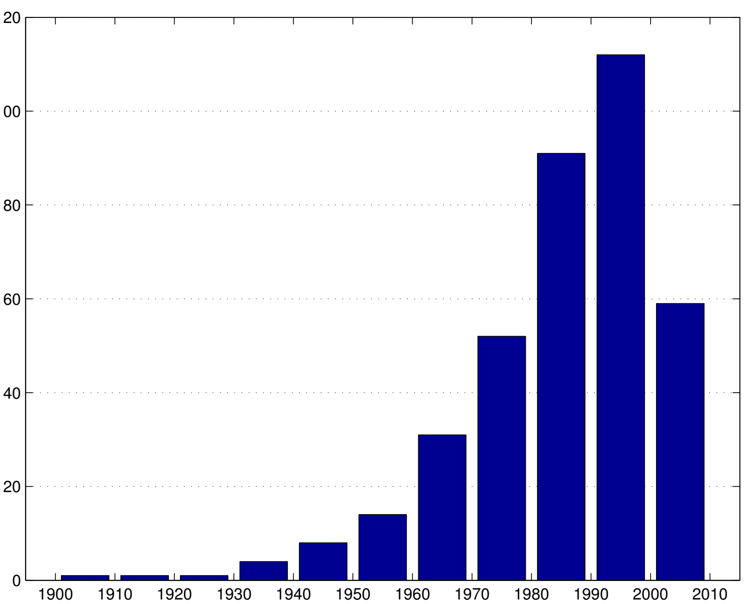

Fig. E.3. Fréquence des publications de la bibliographie en fonction de leur date de parution.

dans cette bibliographie en fonction de leur date de parution (cette idée a été empruntée à N. Higham [212]). On constate une croissance exponentielle de celles-ci jusqu'en 1990. Cette évolution reflète, selon nous, le filtre qu'opère notre mémoire sur le passé et l'accroissement des activités de recherche dans ce domaine. Par ailleurs, la décennie 2000-2009 n'était pas terminée au moment de la parution de cet ouvrage. Quant au tassement de la croissance observé dans la tranche 1990-1999, le lecteur est libre d'en avoir sa propre interprétation ... On constate également que l'optimisation numérique est une discipline jeune. Les publications d'avant 1950 sont relatives à l'analyse convexe et à l'algèbre linéaire, parfois à l'optimisation, mais guère aux aspects numériques de cette dernière discipline, qui ne se sont développés qu'après la seconde guerre mondiale.